



No Luminous Little Red Dots: A Sharp Cutoff in Their Luminosity Function

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Received 2025 August 27; revised 2026 August 22; accepted 2026 August 30; published 2026 September 10

Abstract

One of the most surprising results of early James Webb Space Telescope (JWST) observations is the discovery of an abundance of red, compact, broad-line objects dubbed “little red dots” (LRDs) at $z > 4$. Their spatial density ($\sim 10^{-4}$ – 10^{-5} cMpc $^{-3}$) is 100 times more abundant than UV-selected quasars at that redshift if one extrapolates the quasar luminosity function (QLF) down to the LRD regime. However, whether LRDs dominate black hole accretion at quasar-like luminosities ($L_{\text{bol}} \gtrsim 10^{45-46}$ erg s $^{-1}$) remains unanswered, as probing the bright end of the LRD luminosity function requires a much larger area than that which is able to be surveyed by JWST. In this work, we present our search for the brightest LRDs ($K < 23.7$) at $4.5 < z < 4.9$ using wide-area multiwavelength imaging surveys from the near-UV to the infrared bands. With over 15 deg ^{2} of sky coverage, we only identify one single LRD candidate at $z_{\text{phot}} \approx 4.6$, which translates into a spatial density of $n(M_{5100} < -23.5) \approx 10^{-8}$ cMpc $^{-3}$ —this is nearly 10 times less abundant than the UV-selected quasars at similar optical luminosity. When combined with the LRD sample identified by JWST at the same redshift range, we find a sharp cutoff in the optical luminosity function at $\lambda L_{5100} \approx 2.2 \times 10^{44}$ erg s $^{-1}$, while the quasar luminosity function (QLF) turnover occurs at $\gtrsim 20$ times higher luminosity. We therefore confirm the exclusively low-luminosity nature of LRDs, ruling out that LRDs are the counterparts of quasars. Furthermore, we speculate that, if the shape of the luminosity function holds up, it points to LRDs being powered by low-mass black holes with a narrow range of Eddington-level accretion rates.

Unified Astronomy Thesaurus concepts: Active galactic nuclei (16); Black holes (162); Galaxy formation (595); High-redshift galaxies (734)

1. Introduction

The James Webb Space Telescope (JWST) has identified a population of low-luminosity active galactic nucleus (AGN) candidates dubbed “little red dots” (LRDs; J. Matthee et al. 2024) across $2 < z < 9$. They are compact sources ($r_e \lesssim 100$ pc) characterized by a V-shaped spectral energy distribution (SED), where a faint blue UV continuum is followed by a steeply rising red optical continuum (D. D. Kocevski et al. 2023; H. B. Akims et al. 2025; V. Kokorev et al. 2024; I. Labbe et al. 2025) commonly exhibiting broad Balmer emission lines (e.g., J. E. Greene et al. 2024; I. Juodžbalis et al. 2024; R. E. Hviding et al. 2025). More importantly, LRDs’ spectral slope change (i.e., the turnover point of the V-shaped SED) consistently occurs at rest-frame 3645 Å, the Balmer limit, which requires highly fine-tuned hybrid galaxy + AGN models to reproduce (D. J. Setton et al. 2025b). A subset of LRDs exhibit a Balmer break so strong that it is rather challenging, if not unphysical, to be explained by stellar populations alone (A. de Graaff et al. 2025; L. J. Furtak et al. 2024; I. Labbe et al. 2024; Y. Ma et al. 2025; R. P. Naidu

et al. 2026; B. Wang et al. 2025). This motivates models where the Balmer break is produced by absorption from dense $n = 2$ hydrogen near the massive black hole in LRDs (e.g., K. Inayoshi & R. Maiolino 2025; X. Ji et al. 2025). The kinematically offset Balmer absorption that is commonly seen in LRDs may already hint at the existence of such high-density gas (X. Lin et al. 2024; J. Matthee et al. 2024). Beyond the UV–optical, most LRDs show no sign of strong X-ray emission from AGN corona (T. T. Ananna et al. 2024; M. Yue et al. 2024) or infrared emission from the warm torus or galactic dust in the host galaxy (G. C. K. Leung et al. 2025; C. C. Williams et al. 2024; C. M. Casey et al. 2025; D. J. Setton et al. 2025a; M. Xiao et al. 2025), suggesting that the redness may be intrinsic to the photosphere of a super-Eddington accretion flow (K. Inayoshi et al. 2025; D. Kido et al. 2025; H. Liu et al. 2025) as opposed to dust reddening (e.g., Z. Li et al. 2025). The reduced need for dust reddening lowers the inferred bolometric luminosities of LRDs by at least 1 dex compared to dust-corrected estimates (J. E. Greene et al. 2026), which can approach the quasar regime for the brightest LRDs (e.g., V. Kokorev et al. 2024; D. D. Kocevski et al. 2025). This, in turn, implies lower black hole masses and also distinguishes LRDs from the quasar population (J. E. Greene et al. 2026). So far, no model has been able to consistently explain the full SED.



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Solving the puzzle of the SED shape of LRDs is crucial because their abundance at high redshift suggests a common phase of black hole accretion in the early Universe. They are approximately 100 times more abundant than UV-selected quasars (UVQSOs) at $z > 4$ (V. Kokorev et al. 2024; D. D. Kocevski et al. 2025). However, a significant drop in LRD number density by nearly a factor of 50 occurs at $2 \lesssim z \lesssim 4$, and LRDs become ~ 10 times less abundant than quasars at cosmic noon (D. D. Kocevski et al. 2025; L. Bisigello et al. 2026; Y. Ma et al. 2026; M.-Y. Zhuang et al. 2026). Although extremely rare, LRD analogs have been identified in the local Universe at $z \sim 0.1$ as well (X. Ji et al. 2026; X. Lin et al. 2026). This suggests that the required conditions for LRDs—for instance, high gas density (e.g., K. Inayoshi 2025)—are more common, but not unique, to the high-redshift Universe.

Yet, while the faint end of the LRD luminosity function (LF) is well characterized and dominates the number density estimation, the shape of the LRD LF at the bright end remains poorly constrained. With one photometrically selected LRD candidate in their most luminous bin ($M_{1450} = -22$) within 0.18 deg^2 of JWST blank fields, V. Kokorev et al. (2024) tentatively claim a cutoff at $M_{1450} \approx -20.6 \text{ mag}$ in the UV LF (UVLF) of LRDs at $4.5 < z < 6.5$, beyond which the number density drops below that of quasars. However, the authors cannot confidently conclude the cutoff to be physical due to the small survey volume. A wide-area search is thus necessary to robustly determine the shape of the LF on the bright end. Only then can we infer the properties of the central black holes and the accretion physics powering LRDs and compare them to typical blue quasars.

In this Letter, we present our search for the most luminous LRDs using wide-area, multiwavelength imaging surveys within 15.3 deg^2 of sky to constrain the bright end of the LRD LF at $4.5 < z < 4.9$. We introduce the photometric surveys in Section 2 and the selection process in Section 3. We then present the LF in Section 4 and discuss its implication to the nature of LRDs in Section 5. We assume a cosmology with $H_0 = 70 \text{ km s}^{-1} \text{ Mpc}^{-1}$, $\Omega_{m,0} = 0.3$, and $\Omega_{\Lambda,0} = 0.7$. All magnitudes are presented in AB magnitudes (J. B. Oke & J. E. Gunn 1983).

2. Multiwavelength Imaging Surveys

In order to search for the most luminous LRDs, which are likely intrinsically rare, a wide-area search is required. We conduct our search within 15.3 deg^2 in the four Deep and UltraDeep fields (D/UD fields) of the Hyper Suprime-Cam (HSC) Subaru Strategic Program (SSP; H. Aihara et al. 2018). These fields contain a wealth of multiwavelength imaging data from the observed near-UV to the infrared wavelengths, providing sufficient wavelength coverage to select the characteristic V-shaped SED of high-redshift LRDs. Particularly, the deep HSC *grizy* imaging in the optical–near-infrared (NIR; $i_{3\sigma} \approx 27.4$ and $y_{3\sigma} \approx 25.8$; H. Aihara et al. 2022) enables the detection of (and thus the selection using) the UV continuum of luminous LRDs at $m_{\text{UV}} \lesssim 26$ at $z \sim 5$; see the left panel of Figure 1).

In addition to HSC, there is also u/u^* -band imaging by the CFHT Large Area U -band Survey (CLAUDS; M. Sawicki et al. 2019) in the D/UD fields. The NIR wavelengths are covered by JHK/K_s imaging of various ground-based surveys including the Ultra Deep Survey with the VISTA Telescope

(UltraVISTA; H. J. McCracken et al. 2012), the VISTA Deep Extragalactic Observations Survey (VIDEO; M. J. Jarvis et al. 2013), the Deep Extragalactic Survey and the Ultra-Deep Survey (UKIDSS/DXS) of the UKIRT Infrared Deep Sky Survey (UKIDSS/UDS; A. Lawrence et al. 2007), the Deep UKIRT Near-infrared Steward Survey (DUNES²; H. Aihara et al. 2022; E. Egami et al. 2026, in preparation), and the DeepCos survey (PI: Y.-T. Lin; H. Aihara et al. 2022). Furthermore, infrared imaging data at 3.5 and $4.5 \mu\text{m}$ is supplemented by the master mosaics produced by M. Lacy et al. (2021) and the Spitzer Coverage of the HSC-Deep with IRAC for Z Studies (SHIRAZ; M. Annunziatella et al. 2023) by combining new and archival Spitzer observations. H. Aihara et al. (2022) outline these multiwavelength surveys in detail; M. Lacy et al. (2021) and M. Annunziatella et al. (2023) also describe all the archival data invoked to produce the master IRAC mosaics that we utilize for our study.

These multiwavelength imaging data are then combined to construct the so-called “ u -to-IRAC” photometric catalog. From the u/u^* -band to the K/K_s -band, the catalog is defined following a modified HSC pipeline to account for non-HSC data (J. Bosch et al. 2018, 2019; G. Desprez et al. 2023). We identify peaks in all bands simultaneously, and the detection band of a given source is assigned to be the first band in the order of *irzygJHK/K_s* that shows a $>7\sigma$ peak. We then perform forced photometry at the source position across all the ground-based bands with the same settings described in H. Aihara et al. (2022). For the Spitzer/IRAC data, photometry is carried out using a well-established deblending algorithm (e.g., I. Labbé et al. 2006; S. Wuyts et al. 2007; D. Marchesini et al. 2009; R. J. Williams et al. 2009; K. E. Whitaker et al. 2011) instead of the modified HSC pipeline. Source are first identified in the high-resolution $K(K_s)$ -, J -, and z -band images—redder bands have higher priority—and are then convolved with locally constructed kernels to match the IRAC resolution. To construct these kernels, we select bright, isolated, and unsaturated objects that appear in both the adopted high-resolution image and the IRAC mosaic. Their Fourier transforms are modeled using a series of Gaussian-weighted Hermite functions, all kernels are visually inspected and any kernels which yield poor fits or otherwise deviate significantly are discarded, and the surviving kernel coefficients are then stored into a smoothed 2D map. With this kernel map, all sources in each IRAC frame are modeled simultaneously, with the flux as a free parameter. Subtracting the modeled light of neighboring sources produces a deblended IRAC image on which $D = 3''$ fixed-aperture photometry is performed. We subsequently correct the aperture fluxes to total fluxes using a median growth curve based on point sources identified in each field’s mosaic. The median difference between our IRAC photometry and that in the COSMOS2020 catalog (J. R. Weaver et al. 2022) is 0.01 AB mag , with a scatter of around 0.1 AB mag around the median, between $19 < \text{mag} < 23 \text{ AB}$, for both channels (L. Robbins 2026, private communication).

Lastly, for this work specifically, we remove objects that only have peaks detected in fewer than three bands and objects that are blended with bright stars. These sources are not involved in estimating the total survey area.

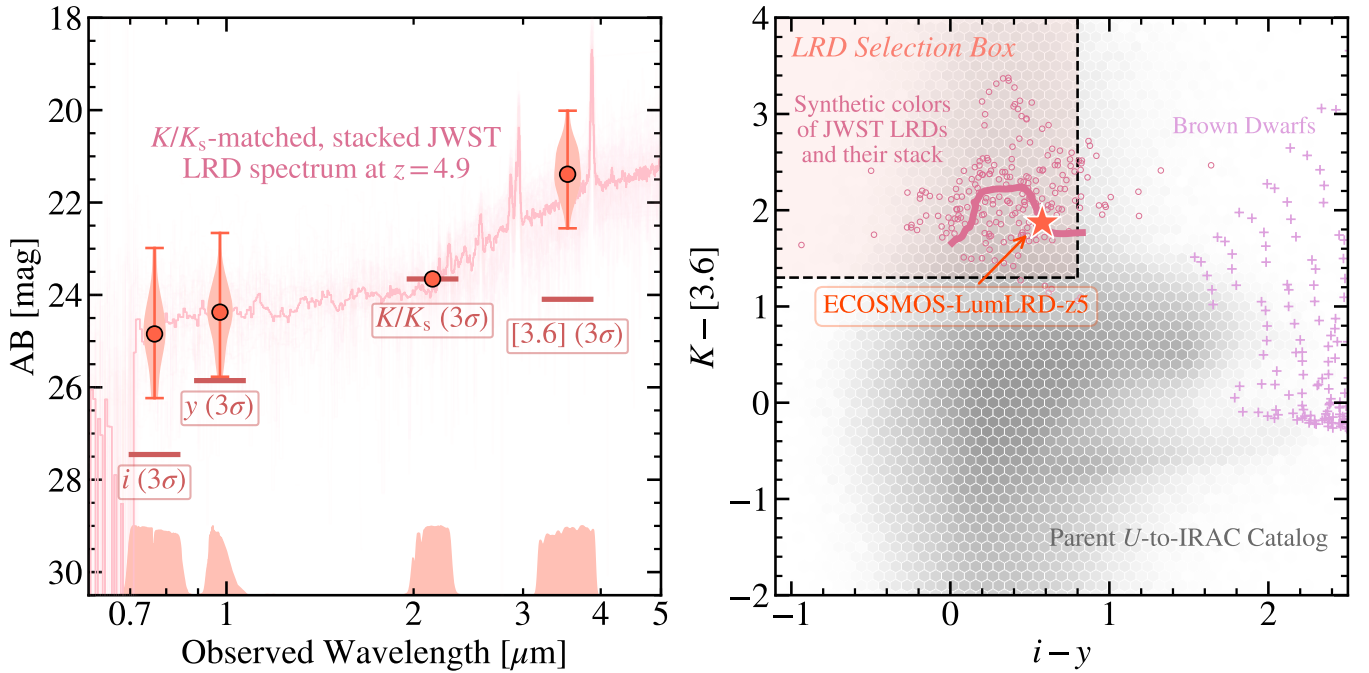


Figure 1. Left: the spectra of JWST LRDs from D. J. Setton et al. (2025b) and R. E. Hviding et al. (2025) are shifted to $z = 4.9$, matched to the K/K_s -band 3σ limit (23.7 mag), and stacked together. Synthetic photometry of the stack (circles) and of each individual LRD in the stack (violins) both demonstrate that, after applying the K/K_s cut, the photometry of all selection bands would lie above their respective survey depth limits (horizontal lines), suggesting our search for the luminous LRDs is plausibly volume complete. Right: the synthetic photometric colors of 38 spectroscopically selected LRDs from D. J. Setton et al. (2025b) and R. E. Hviding et al. (2025) are shown as pink circles in the LRD selection box. The colors are computed by shifting the 38 LRD spectra to $4.5 < z < 4.9$ with a $\Delta z = 0.1$ increment. We also show color evolution with redshift of the stacked LRD spectrum between $4.5 < z < 4.9$ (from left to right). The one LRD candidate (ECOSMOS-LumLRD-z5) that we identify in this work is shown as the star. The full parent u -to-IRAC catalog is shown in the background, and synthetic colors of a suite of brown dwarfs (generated from the A. M. Meisner et al. 2021 templates) are shown as magenta crosses.

3. Sample Selection

3.1. Little Red Dot Selection

The selections for LRDs, either using photometric colors (e.g., H. B. Akins et al. 2025; R. E. Hviding et al. 2025; I. Labbe et al. 2025; Y. Ma et al. 2026) or using photometric slopes (D. D. Kocevski et al. 2025), are all designed to target their characteristic V-shaped UV–optical SEDs. We invoke the following criteria for our selection of LRDs:

1. the object must be detected with a signal-to-noise ratio (SNR) greater than 3 from r to $[4.5]$;
2. the object must be a dropout (SNR < 3) in g band;
3. $K/K_s < 23.7$;
4. $i - y < 0.8$;
5. $K/K_s - [3.6] > 1.3$; and
6. the object must be consistent with a point source (represented by `extendedness = 0` as defined in the HSC pipeline; see J. Bosch et al. 2018) in i , J , H , and K/K_s bands.

The dropout criterion ensures that we target the redshift range of interest. The K/K_s -band magnitude cut is set to be the shallowest K/K_s -band 3σ depth for blind point-source detection among the HSC-D/UD fields, targeting the brightest objects only. As shown in the left panel of Figure 1, the magnitude cut also makes the brightness of the other three selection bands lie above their respective depths ($i_{3\sigma} = 27.4$, $y_{3\sigma} = 25.8$, and $[3.6]_{3\sigma} = 24.1$).¹¹ The $i - y$ color targets the

blue UV continuum of the LRDs, while the $K/K_s - [3.6]$ color targets the red optical continuum. In the right panel of Figure 1, we show that the synthetic colors of many spectroscopically selected JWST LRDs also reside in the selection box.¹² We give a detailed discussion on the selection completeness in Section 3.3.

Leveraging the high spatial resolution of space-based observations, LRD studies with JWST often quantify compactness using photometry or morphology within the innermost 1–2 kpc of the sources in the rest-frame optical bands (e.g., R. E. Hviding et al. 2025; D. D. Kocevski et al. 2025; I. Labbe et al. 2025). It is worth noting that extended morphology in the rest-frame UV has been uncovered in a fraction of JWST LRDs, suggesting potential host or gas nebular emission (e.g., P. Rinaldi et al. 2025; C.-H. Chen et al. 2025b; A. Torralba et al. 2026). Our compactness requirement is not as stringent as that imposed by JWST studies due to the nature of seeing-limited observations (0.66 in i band corresponds to ~ 4 kpc at $z = 4.7$; H. Aihara et al. 2022) from the ground—we discuss this in the case-by-case situation in the following paragraph.

Using the aforementioned six criteria, we only identify two potential LRD candidates from the u -to-IRAC parent sample within the entire survey area. A breakdown of number of objects included by each selection criterion can be found in Appendix A. We now attempt to visually inspect higher-

¹¹ Like the K band, these depths are also the shallowest 3σ blind point-source detection limits in each band over the full survey volume.

¹² The points in the right panel of Figure 1 with $i - y \gtrsim 1$ are due to conducting synthetic i -band photometry on the template spectra at $z = 4.9$ near the PRISM detector’s blue edge. The larger noise there could artificially result in a faint i magnitude and thus a red $i - y$ color that does not correctly reflect the UV slope ($i - y \lesssim 0.5$ from higher-SNR template) of the template object. To some extent, this selection is more loose than it is supposed to be.

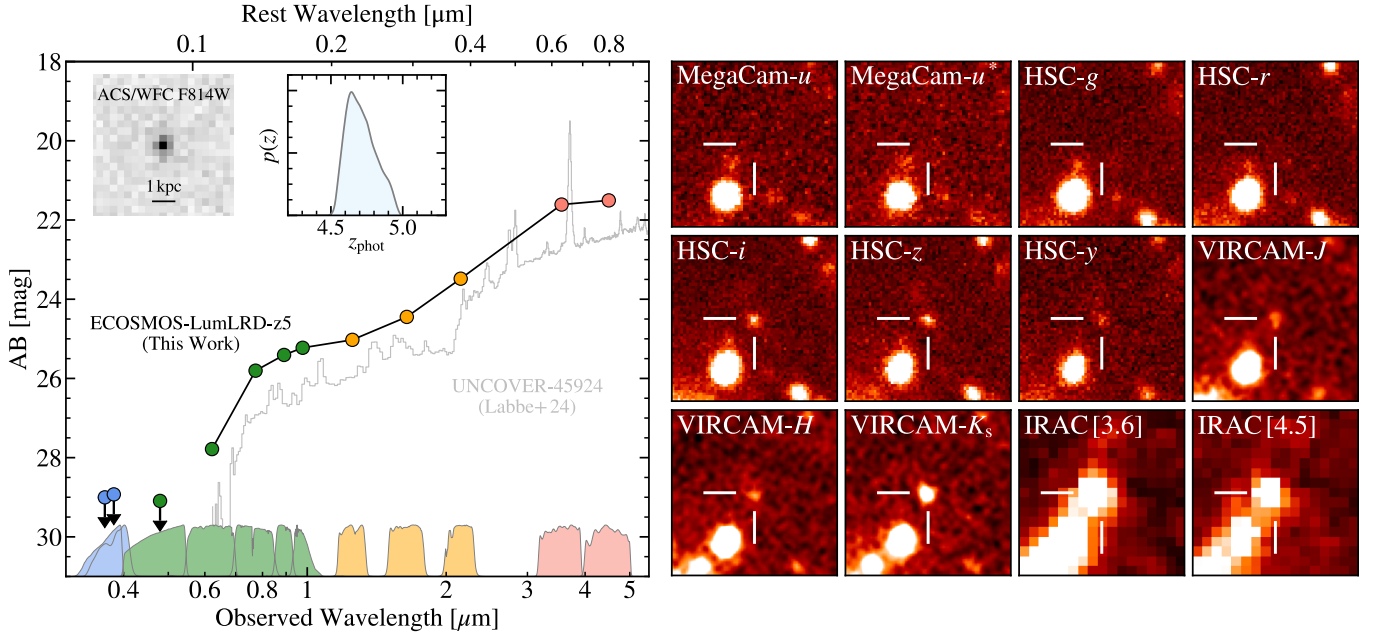


Figure 2. The photometric SED of ECOSMOS-LumLRD-z5 is shown against the NIRSpec/PRISM spectrum of UNCOVER-45924 (I. Labbe et al. 2024), the most luminous JWST LRD to date. The Hubble Space Telescope (HST) Advanced Camera for Surveys (ACS) Wide Field Channel (WFC) F814W image cutout and the $p(z)$ distribution output by EAZY are shown in the insets. We also show the $10'' \times 10''$ cutout of the u -to-IRAC imaging of the LRD candidate.

resolution imaging data of the two candidates. One of the two candidates (R.A. = 09:59:39.12, decl. = +02:06:01.48) is within the imaging footprints of the COSMOS-Web survey (C. M. Casey et al. 2023) and Public Release Imaging for Extragalactic Research (PRIMER) survey (GO #1837; PI: J. Dunlop). The candidate clearly displays an extended disk in the NIRCам F444W image. It is true that recent work by P. Rinaldi et al. (2026) identifies an extended galaxy with an LRD-like nucleus. Although such objects may hint at the evolutionary path of LRDs, they do not resemble typical LRDs selected by JWST (e.g., H. B. Akins et al. 2025; V. Kokorev et al. 2024; D. D. Kocevski et al. 2025) that we use to combine our sample with (see Section 4.2). Thus, we exclude this JWST extended source, and only one single object remains.

Lastly, brown dwarfs, which also appear as point sources at JWST resolution, could serve as contamination when selecting LRDs at $z \gtrsim 4$ using photometric colors of JWST (A. J. Burgasser et al. 2024; J. E. Greene et al. 2024; I. Labbe et al. 2025), but this is not the case for us as we show in Figure 1. It is because the $i - y$ colors of brown dwarfs are much redder than the NIRCам colors used to select the blue rest-frame UV of LRDs (e.g., F115 – F200W), as the former broadly traces the Wien tail and the red wing of the resonant K I absorption of brown dwarf SEDs. Thus, we conclude that the remaining LRD candidate is extragalactic in nature. This luminous LRD candidate, ECOSMOS-LumLRD-z5, is the only source we identify among nearly two million sources over the 15.3 deg^2 survey field.

3.2. ECOSMOS-LumLRD-z5

ECOSMOS-LumLRD-z5 is the only LRD candidate brighter than $K/K_s = 23.7$ that we identified in our search. Its position in the color-color space is shown in the right panel of Figure 1. We show its multiwavelength SED in Figure 2 and Table 1. We estimate the photometric redshift of ECOSMOS-LumLRD-z5 with EAZY (G. B. Brammer et al. 2008) and

Table 1
Source Properties of ECOSMOS-LumLRD-z5

Quantity	Unit	Measurements
R.A.	deg	149.8664
decl.	deg	+1.7497
z_{phot}	...	$4.65^{+0.18}_{-0.04}$
CFHT/MegaCam u	mag	>29.00
CFHT/MegaCam u^*	mag	>28.93
Subaru/HSC g	mag	>29.09
Subaru/HSC r	mag	27.78 ± 0.15
Subaru/HSC i	mag	25.80 ± 0.03
Subaru/HSC z	mag	25.41 ± 0.03
Subaru/HSC y	mag	25.23 ± 0.05
VISTA/VIRCAM J	mag	25.03 ± 0.02
VISTA/VIRCAM H	mag	25.45 ± 0.02
VISTA/VIRCAM K_s	mag	23.48 ± 0.01
Spitzer/IRAC [3.6]	mag	21.61 ± 0.02
Spitzer/IRAC [4.5]	mag	21.50 ± 0.03

obtained $z_{\text{phot}} = 4.65^{+0.18}_{-0.04}$. The $p(z_{\text{phot}})$ distribution is shown in Figure 2, and we point the readers to Appendix B for the details of the EAZY configuration we use. With some handle on the source redshift, we note that ECOSMOS-LumLRD-z5 is nearly ~ 1 mag more luminous than UNCOVER-45924, the most luminous LRD discovered and spectroscopically confirmed by JWST to date (I. Labbe et al. 2024).

ECOSMOS-LumLRD-z5 has no JWST imaging available but is within the HST footprints of the Cosmic Evolution Survey (COSMOS; A. M. Koekemoer et al. 2007; N. Scoville et al. 2007; R. Massey et al. 2010). The ACS F814W imaging cutout of ECOSMOS-LumLRD-z5 is also shown in Figure 2. We provide the details of the morphological analysis in Appendix C and conclude that ECOSMOS-LumLRD-z5 is consistent with a point source in the rest-frame UV. We thus estimate a size upper limit of $r < 310 \text{ pc}$ for ECOSMOS-LumLRD-z5, similarly compact to JWST-selected LRDs

(e.g., V. Kokorev et al. 2024). Furthermore, ECOSMOS-LumLRD-z5 is not detected at 0.5–7 keV in the Chandra X-ray Observatory COSMOS Survey (M. Elvis et al. 2009) or at 1.4 and 3 GHz in the VLA-COSMOS surveys (E. Schinnerer et al. 2010; V. Smolčić et al. 2017), just like other LRDs at similar redshifts (e.g., H. B. Akins et al. 2025).

3.3. Selection Completeness

We examine the completeness of our selection with a set of spectroscopically confirmed LRDs at $3.9 < z < 7.0$ from D. J. Setton et al. (2025b) and R. E. Hviding et al. (2025) with spectra publicly available on the Dawn JWST Archive.¹³ Five RUBIES objects (EGS-53254, EGS-37124, UDS-29813, UDS-149298, and UDS-807469) are within the redshift range but removed because of their incomplete wavelength coverage by NIRSpec/PRISM. We exclude another three RUBIES objects (EGS-42232, UDS-36171, and UDS-830237) as we determine their rest-frame UV to be too faint for accurate synthetic photometry after our visual inspection. The remaining 38 objects are referred to as “templates” in the following discussion.

We first shift the template spectra to $z = 4.9$, the upper bound of our redshift range of interest. We compute the synthetic photometry of each object in i , y , K , and $[3.6]$ bands. After matching all templates to $K = 23.7$ mag among the entire 15.3 deg^2 search area, we stack all templates and measure the four-band synthetic photometry on the stack. In the left panel of Figure 1, we show that once the K -band cut is made, the brightness of the stack and of each individual template in the other three bands are all above their respective depths. This heuristically suggests that our search of the brightest LRDs is plausibly volume complete for the typical objects.

To investigate the completeness in details, we create mock observations using the template spectra. For each template, we randomly draw redshift from $z \in [4.5, 4.9]$ and monochromatic luminosity at rest 5100 Å from $M_{5100} \in [-23.5, -24.5]$ with 500 realizations—the latter is the luminosity bin we are interested in (see Section 4.2). We shift the template spectra to the observed frame according to the redshift and luminosity and compute synthetic photometry of the mock objects from i band to IRAC $[3.6]$. Finally, the synthetic photometry m_{syn} in each band is perturbed according to an uncertainty randomly drawn from the error distribution derived from sources within $m_{\text{syn}} \pm 0.5$ in the parent u -to-IRAC catalogs. We repeat the above procedure on all 38 LRD template spectra and feed all ($38 \times 500 = 19,000$) mock LRD photometry into the selection pipeline (SNR cut, magnitude cut, and V shape), recovering only 11,467 mock sources. Thus, we estimate the selection completeness to be $C_{\text{sel}} = 0.60$ for our ground-based search. This is slightly higher than the 50% completeness estimated by R. E. Hviding et al. (2025) for the JWST color-color selection of V. Kokorev et al. (2024). This difference is likely due to the fact that our search is not as limited by the UV faintness as the JWST selection is because the K band, which traces the rest-frame optical, is the shallowest.

4. Number Density Estimation

4.1. Survey Volume

First of all, we comment on the redshift range, $4.5 < z < 4.9$, that we restrict ourselves to when estimating the number density. In fact, our $i - y$ versus $K - [3.6]$ criteria are not entirely insensitive to LRDs at $3.8 < z < 4.5$ and $4.9 < z < 5.2$. Our choice of $4.5 < z < 4.9$ is to enable a fair comparison with color-selected JWST samples (which adopt a redshift lower bound of $z = 4.5$; V. Kokorev et al. 2024) and to ensure that the i -band flux is unaffected by the intergalactic medium absorption (including the damped wings of Ly α absorption).

As a result, the volume of interest should in principle be larger than the comoving volume between $z = 4.5$ and 4.9 within the survey area. Yet, we think that estimating the volume using the full $3.8 < z < 5.2$ range would only result in an order-unity effect to our subsequent number density estimation, as the comoving volume only increases by a factor of ~ 3.5 . Moreover, since the number density of LRDs rapidly drops by a factor of ~ 3 – 5 at $3.8 < z < 4.5$ (K. Inayoshi 2025; T. S. Tanaka et al. 2025; Y. Ma et al. 2026) and our selection completeness drops to $\sim 20\%$ at $4.9 < z < 5.2$, any unidentified sources at those higher and lower redshifts are all consistent with $\sim \text{Poisson}(1)$ once the order-unity volume increase is accounted for. Lastly, photometric selections are subject to contamination, which could lower the true number density, achieving similar order-unity effect as an increased survey volume.

4.2. Optical Luminosity Function

Following Y. Ma et al. (2026), we also choose to compute the optical LF, parameterized by the absolute magnitude at rest-frame 5100 Å (M_{5100}), instead of the UVLF. While the origin of LRDs’ UV continuum remains unclear as only a fraction of objects shows extended morphology (P. Rinaldi et al. 2025; C.-H. Chen et al. 2025a, 2025b; A. Torralba et al. 2026), the origin of the optical continuum appears to be converging toward a consensus. In models where a gas cocoon surrounds the accreting black hole and produces the red optical continuum (e.g., H. Liu et al. 2025; R. P. Naidu et al. 2026; V. Rusakov et al. 2026), the optical luminosity likely provides a more sensible tracer of the central engine’s accretion power (J. E. Greene et al. 2026) with minimal host emission like the UV. This makes the optical LF particularly advantageous over the UVLF.

Given the identification of a single LRD candidate, we compute the number density of LRDs within a luminosity bin ΔM with

$$\Phi(M) \Delta M = \frac{1}{V_{\text{max}} \times C_{\text{sel}}}, \quad (1)$$

where C_{sel} is the selection completeness discussed in Section 3.3, and V_{max} is the maximum comoving volume that a source with a given luminosity can be detected in a magnitude-limited survey (M. Schmidt 1968). The LF is computed with 1000 Monte Carlo realizations. Within each realization, the photometry is drawn based on its uncertainty and redshift from the $P(z)$ distribution to compute M_{5100} by interpolating the photometric SED and to estimate V_{max} . Then,

¹³ <https://dawn-cph.github.io/dja/index.html>

Table 2The Binned Optical Luminosity Function of Little Red Dots at $4.5 < z < 4.9$

Sample	M_{5100} (mag)	$\log \Phi$ ($\text{cMpc}^{-3} \text{mag}^{-1}$)
This Work	-25	< -7.53
	-24	$-7.57^{+0.52}_{-0.76}$
	-23	$-5.85^{+0.30}_{-0.76}$
	-22	$-5.01^{+0.15}_{-0.24}$
V. Kokorev et al. (2024)	-21	$-4.49^{+0.14}_{-0.11}$
	-20	$-4.31^{+0.20}_{-0.19}$
	-19	$-4.72^{+0.19}_{-0.23}$

Note. The magnitude bins all have a width of ± 0.5 mag, and the upper limit for the highest luminosity bin is given as the 1σ value.

we combine the Monte Carlo uncertainties of the number density with the Poisson uncertainties (N. Gehrels 1986).

In our specific case, we take the smallest of the V_{max} estimator in all four bands used for color selection as the effective volume—this is similar to the approach by V. Kokorev et al. (2024). We find that V_{max} is just equal to the comoving volume between $z = 4.5$ and 4.9 within the 15.3 deg^2 search area—this is not surprising as our search for luminous LRDs is likely volume complete within this redshift range. We therefore obtain the number density within $-24.5 < M_{5100} < -23.5$ to be $10^{-7.57} \text{ cMpc}^{-3}$. Again, as mentioned in Section 4.1, using the full $3.8 < z < 5.2$ range over which our selection is sensitive would only increase the volume by a factor of ~ 3 , further suppressing number density at the bright end of the LF. We also add one more luminosity bin at $-25.5 < M_{5100} < -24.5$ and compute the 1σ and 3σ Poisson upper limits of $< 10^{-7.53}$ and $< 10^{-7.07} \text{ cMpc}^{-3} \text{mag}^{-1}$, respectively.

Although our ground-based search grants a large area for the rare and luminous LRDs, it is not deep enough for the fainter ones ($K/K_s \gtrsim 24$). Therefore, we invoke the LRD sample in blank deep JWST/NIRCam fields presented in V. Kokorev et al. (2024). This particular sample is chosen because the authors employ photometric colors very similar to ours for sample selection, which ensures consistency when bridging our sample with the JWST one. Using the photometric-slope-selected sample of D. D. Kocevski et al. (2025) would likely not significantly affect our conclusion given the similarity in both works' number density estimations of less luminous LRDs. Utilizing the photo- z s from V. Kokorev et al. (2024), we calculate the M_{5100} of the JWST LRDs whose redshift is consistent with the redshift range of interest within 1σ in a similar fashion. This fills in the faint end of the optical LF of LRDs at $4.5 < z < 4.9$. We present the binned optical LF constructed from both samples in Table 2.

Following standard unbinned LF estimation procedures commonly adopted in quasar studies (e.g., X. Fan et al. 2001; G. Kulkarni et al. 2019), we employ the maximum-likelihood estimation (MLE) method to model the shape of the optical LF of LRDs. We model the LF in the form of a Schechter function (P. Schechter 1976):

$$\Phi(M)dM = (0.4 \ln 10) \times \Phi^* \times 10^{0.4(\alpha+1)(M^*-M)} \times \exp[-10^{0.4(M^*-M)}]dM, \quad (2)$$

where M is the absolute magnitude, M^* is the characteristic absolute magnitude determining the position of the exponential

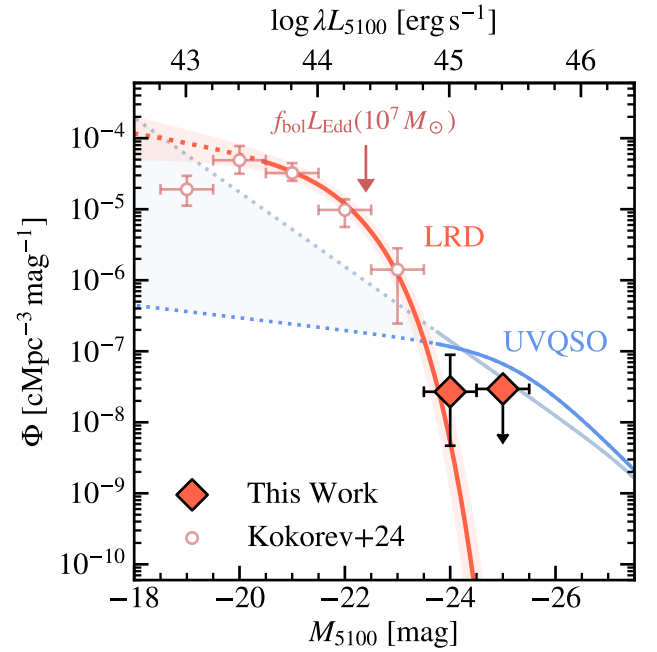


Figure 3. Left: the optical LF of LRDs at $4.5 < z < 4.9$ is shown in red. The solid diamonds are the measurements done in this work. The upper limit is the 1σ value. The empty circles are measurements from LRD candidates identified by V. Kokorev et al. (2024) at $4.5 < z < 4.9$ with JWST. The best-fit Schechter model is shown in the red with the 68% confidence interval shaded (the dotted section is the extrapolation beyond the luminosity range used to conduct the MLE). The light and dark blue curves are the LFs for UVQSOs at $4.7 < z < 5.5$ measured by G. Kulkarni et al. (2019) and at $z \sim 5$ by M. Niida et al. (2020). The dashed lines are the extrapolated quasar LFs down to the faint ends. The arrow marks the optical luminosity of a $10^7 M_\odot$ black hole with $L_{\text{bol}}/L_{\text{Edd}} = 1$, assuming $L_{\text{bol}}/\lambda L_{5100} = 5.4$ for the LRDs (J. E. Greene et al. 2026). In contrast, the bolometric correction for the quasars is $L_{\text{bol}}/\lambda L_{5100} = 10.3$ (G. T. Richards et al. 2006).

drop-off at the bright end, α controls the power-law slope at the faint end, and Φ^* is a normalization. The details of how the MLE is constructed is described in Appendix D. As a note, we only include sources with $-25.5 < M_{5100} < -20.5$ for the MLE. V. Kokorev et al. (2024) estimate that their sample becomes incomplete at $M_{\text{UV}} \gtrsim -18.5$, which on average translates into $M_{5100} \sim -20.5$ for that sample. Extending the bright-end boundary to higher luminosity does not affect our result. We show the best-fit model and its parameters in Figure 3 and Table 3, respectively.

To compare the LRDs with other accreting black holes, we convert the UVLFs of UVQSOs at comparable redshift into optical LFs as well. The optical LFs of the UVQSOs are approximated by estimating $M_{5100} - M_{1450} = -0.26$ mag from an empirical $z = 4.7$ quasar template derived by M. J. Temple et al. (2021) and shifting the UVLF by this constant offset. In Figure 3, it is clear that LRDs quickly disappear above $M_{5100} \lesssim -22.5$, while the UVQSOs display a luminous tail in their LFs extending to at least 2 or 3 mag brighter than the luminosity cutoff of the LRDs. At $M_{5100} \lesssim -24$, the UVQSOs are more abundant than LRDs by at least 1 dex. Although LRDs seem to dominate the black hole number density at $z \sim 4.5$, UVQSOs still dominate the most luminous episodes of black hole accretion. Furthermore, the stark difference between the LF shapes of the LRDs and the UVQSOs may suggest that LRDs do not represent the simple obscured counterparts of luminous quasars.

Table 3Best-fit Model Parameters for the Optical Luminosity Function of Little Red Dots at $4.5 < z < 4.9$

Parameter	Units	Value
Schechter Function		
Φ^*	$10^{-5} \text{ cMpc}^{-3}$	$5.51^{+2.48}_{-1.72}$
M^*	mag	$-21.7^{+0.2}_{-0.2}$
α	...	$-1.28^{+0.32}_{-0.16}$
Double Power Law		
Φ^*	$10^{-5} \text{ cMpc}^{-3}$	$0.53^{+0.79}_{-0.28}$
M^*	mag	$-22.7^{+0.5}_{-0.4}$
α	...	$-2.22^{+0.35}_{-0.20}$
β	...	$-6.52^{+1.60}_{-1.97}$

Note. $M_{5100}^* = -21.7$ and -22.7 mag can be converted into $\lambda L_{5100} = 1.2 \times 10^{44}$ and $3.2 \times 10^{44} \text{ erg s}^{-1}$, respectively.

Finally, we make sure the steep cutoff in the LRD LF that we claim is not due to the exponential term in the Schechter function. As a sanity check, we also model the measured number densities with a double power law (B. J. Boyle et al. 1988):

$$\Phi(M)dM = \frac{\Phi^* dM}{10^{0.4(\alpha+1)(M-M^*)} + 10^{0.4(\beta+1)(M-M^*)}}, \quad (3)$$

where α and β are the faint- and bright-end slopes, respectively—this parameterization is commonly used to describe QLFs. The best-fit parameters of the double power law are also listed in Table 3. We measure a bright-end slope of $\beta = -6.52^{+1.60}_{-1.97}$ for the LRDs. In comparison, the bright- and faint-end slopes for the UVQSOs are $\beta_{\text{QSO}} \sim -4.5$ and $\alpha_{\text{QSO}} \gtrsim -2$ (G. Kulkarni et al. 2019; M. Niida et al. 2020), respectively. Since both QLF slopes are shallower than those of the LRDs that we measure, we therefore conclude the steep luminosity cutoff for the LRDs is likely physical.

5. What Types of Black Holes Are They?

Despite using a UVLF, V. Kokorev et al. (2024) already speculate about the lack of luminous LRDs in their search across four JWST blank fields. Nonetheless, they caution that this finding may be subject to the limited survey area— 0.18 deg^2 , compared to the 15.3 deg^2 covered in our search—and may not reflect a physical deficit. With our significantly larger area, we robustly establish that the number density of LRDs declines sharply beyond $M_{5100} \lesssim -22.5$ mag at $z \sim 5$ (but also see L. Bisigello et al. 2026, for their wide-area search at lower redshift). As mentioned in previous sections, selection incompleteness or expanding the redshift range used to compute the volume could not affect the conclusion on order-of-magnitude level. Rather than using a UVLF, we focus on the optical luminosity as a more physically motivated tracer of intrinsic properties of the central engine. Given this, we now turn to the question of why LRDs exhibit such a steep luminosity cutoff at relatively modest luminosities compared to UVQSOs, which are similarly powered by accretion onto massive black holes.

In the simplest terms, the luminosity of an accreting black hole scales with the product of the Eddington ratio ($\lambda_{\text{Edd}} \equiv L/L_{\text{Edd}}$) and the black hole mass, i.e., $L \propto \lambda_{\text{Edd}} M_{\text{BH}}$. We therefore center our discussion—and the

accompanying heuristic illustrations (see Figure 4)—on these two physical quantities.

Seemingly, the most straightforward hypothesis for such a steep luminosity cutoff is that LRDs are uniquely a low- M_{BH} phenomenon when compared to the quasars. This is particularly true given that LRDs may have large λ_{Edd} values. Super-Eddington accretion has been commonly invoked to explain the X-ray weakness (e.g., F. Pacucci & R. Narayan 2024; E. Lambrides et al. 2026) and the abundance of LRDs at $z \gtrsim 4$ (e.g., J. E. Greene et al. 2024; A. Trinca et al. 2026). Using bolometric corrections measured from LRDs, $f_{\text{bol}} = \lambda L_{5100}/L_{\text{bol}} = 0.18$ (J. E. Greene et al. 2026), we estimate the bright-end cutoff of the LRDs roughly matches the optical luminosity of an $\sim 10^7 M_{\odot}$ black hole with $L_{\text{bol}} = L_{\text{Edd}}$. Using the standard quasar bolometric correction, $f_{\text{bol}} = 0.11$ (S. Kaspi et al. 2000), yields only a factor of ~ 2 increase in this black hole mass estimate. This is ~ 50 – 100 times less massive than the typical black hole masses inferred from UVQSOs at comparable redshifts (W. He et al. 2024). Such a faint luminosity cutoff in LRDs relative to quasars may thus be interpreted as a cutoff in the underlying black hole mass as well. We thus tentatively infer that the black hole masses in most LRDs are likely lower than $\sim 10^7 M_{\odot}$ (to order of magnitude and subject to the assumed Eddington ratio), an order of magnitude lower than those estimated from the H α emission lines using standard scaling relations (e.g., J. E. Greene et al. 2024; I. Labbe et al. 2024; X. Lin et al. 2024).

Additionally, the bright end of the LRD LF is steeper than that of the quasars. This could result from a narrower Eddington ratio distribution for LRDs (e.g., well clustered at $L_{\text{bol}}/L_{\text{Edd}} \approx 1$) relative to quasars ($0.1 \lesssim L_{\text{bol}}/L_{\text{Edd}} \lesssim 1$; W. He et al. 2024; W. Li et al. 2024). Such a “narrower” Eddington ratio distribution would make low-mass accretors less likely to be scattered into the high-luminosity tail of the whole population. In fact, less scatter in the Eddington ratio distribution may be a natural outcome for super-Eddington accretion. Theoretical works suggest $L_{\text{bol}} \sim \mathcal{O}(1 - 10) \times L_{\text{Edd}}$ even when the accretion rate exceeds the Eddington value, potentially due to significant photon trapping at sufficiently high accretion rate (M. A. Abramowicz et al. 1988; K.-y. Watarai et al. 2000; Y.-F. Jiang et al. 2014; A. Sądowski et al. 2015; K. Inayoshi et al. 2020). Moreover, if we assume $L_{\text{bol}} \sim L_{\text{Edd}}$ is required to power an LRD and that the accretion is fuel-limited, then an upper bound on M_{BH} ensues. Put another way, a high Eddington ratio is more likely to occur when black hole masses are low.

Motivated by those arguments, we heuristically test the effect of an M_{BH} cutoff and a narrow λ_{Edd} distribution centered close to unity on the shape of the LF of the LRDs using the semiempirical framework outlined by M. Volonteri et al. (2017). Briefly, we assign a black hole with M_{BH} in every galaxy according to the $M_{\text{BH}}-M_*$ relation (J. E. Greene et al. 2020) with scatter $\sigma_{\log M_{\text{BH}}} = 0.5$ (for both LRDs and the quasars) after sampling the galaxies from a synthetic stellar mass function at $z = 5$ (see P. Dayal & S. K. Giri 2024, for details of the stellar mass function). Assuming a duty cycle of 0.1 and an obscured fraction of 90%, we sample from a lognormal Eddington ratio distribution centered at $\langle \log \lambda_{\text{Edd}} \rangle$ with a dispersion $\sigma_{\log \lambda_{\text{Edd}}}$ to assign luminosity to each black hole, which can then be used to estimate an LF. In this heuristic exercise, we define LRDs as systems with

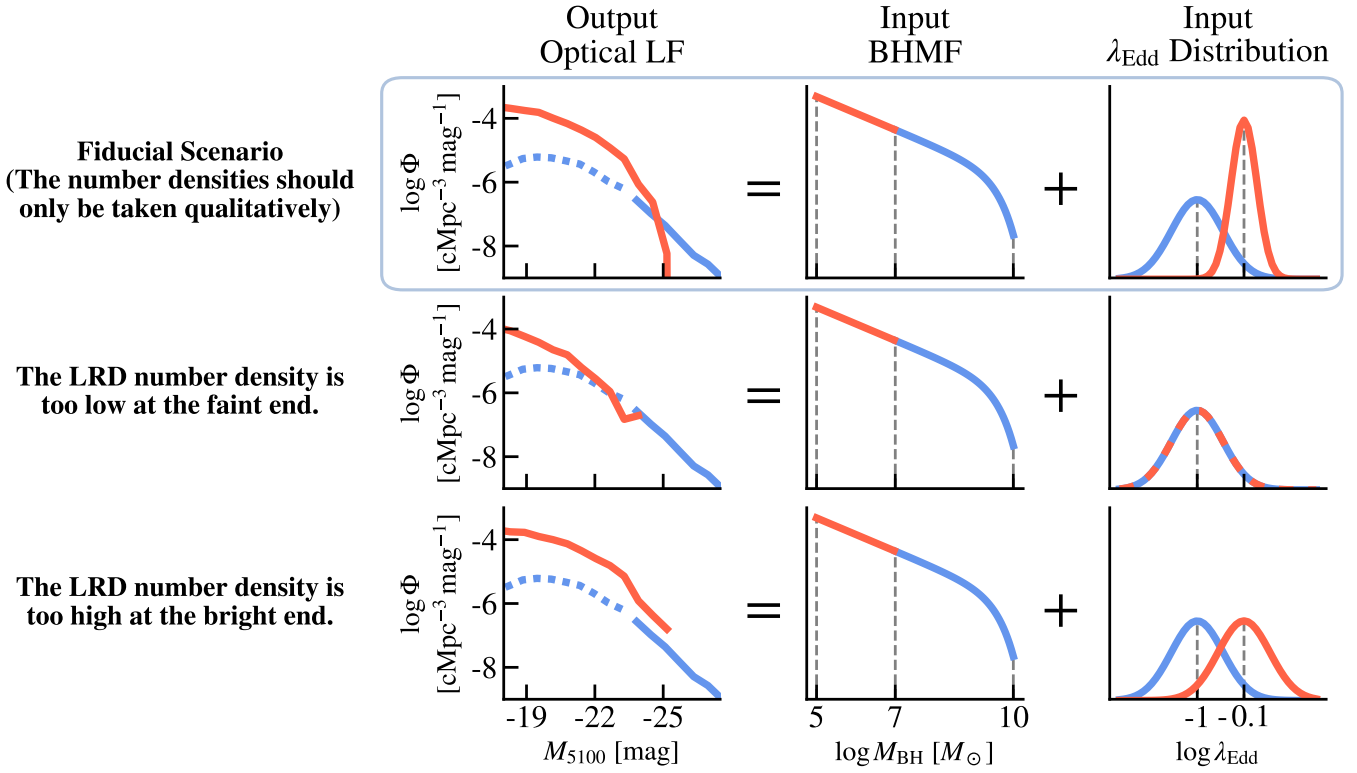


Figure 4. A schematic cartoon showing how different combinations of black hole mass functions and Eddington ratio distributions of the LRDs (red) and quasars (blue) affect the shapes of the LFs. The first row is our fiducial model, where LRDs represent a population of low-mass black holes with high Eddington ratio and small scatter in the Eddington ratio distribution. For the quasars, the QLF is extrapolated below an observed limit and marked with the dashed curve. This figure is entirely demonstrative and should mostly be taken qualitatively.

$M_{\text{BH}} < 10^7 M_{\odot}$ (motivated by our measured cutoff luminosity; see Figure 3) with $\langle \log \lambda_{\text{Edd}} \rangle = \log 0.8$ and $\sigma_{\log \lambda_{\text{Edd}}} = 0.25$, while quasars as those with $M_{\text{BH}} > 10^7 M_{\odot}$ with $\langle \log \lambda_{\text{Edd}} \rangle = \log 0.1$, $\sigma_{\log \lambda_{\text{Edd}}} = 0.50$, and $M_{5100} < -23.5$ mag (similar to the fainter limit in observed QLFs; see Figure 3). We refrain from a full exploration of the parameter space in this work, as the duty cycle, obscured fraction, black hole occupation fraction, the black hole masses of LRDs, and scaling relations at $z=5$ are not constrained in reality. Thus, we stress that our tests here are purely heuristic and should only be taken qualitatively. We show the result of this heuristic test in the upper row of Figure 4. Indeed, qualitatively, we are able to reproduce the steep drop of LRD LF at a fainter luminosity than that of quasars with this toy model.

We also show two more tests in Figure 4 to further understand physical drivers behind the observed LF features. First, if we only apply the $10^7 M_{\odot}$ mass cutoff for the LRDs while assuming the same underlying Eddington ratio distributions for both LRDs and quasars, LRDs only trace the faint end of a seemingly shared LF between the two populations (shown in the middle row of Figure 4) without an elevated number density as observed (V. Kokorev et al. 2024; H. B. Akims et al. 2025; D. D. Kocevski et al. 2025). This is expected, as less massive black holes are less luminous at a given Eddington ratio, so the mass cutoff would only truncate the full black hole LF into two regimes. Yet, we could go one step further and assume the Eddington ratio distributions of the LRDs and quasars have the same scatter but the one for LRDs is shifted to higher values. No sharp LF cutoff is reproduced for the LRDs although their number density is boosted higher than

that of the quasars (shown in the bottom row of Figure 4). In this case, elevated Eddington ratios result in less massive objects being scattered into higher-luminosity bins and consequentially boost LRD number densities at all luminosities. As a result, it seems that the sharp LF cutoff necessitates less scatter in the Eddington ratio distribution, which is a natural result if LRDs are indeed super-Eddington accretors as we discussed previously.

Therefore, from our heuristic models, we tentatively conclude that LRDs have lower black hole masses (hence the existence of a cutoff), higher Eddington ratios (hence the higher number density at low luminosity), and smaller scatter in the Eddington ratio distribution (hence the steepness of the cutoff) than those of the quasars. Nonetheless, future work constraining all the relevant scaling relations and AGN duty cycles would be required to quantitatively model all these observed LF shapes.

In summary, although the one luminous LRD candidate that we identify would require spectroscopic follow-up to confirm its broad-line nature, by finding only a single luminous candidate in $\sim 100\times$ larger survey volume relative to JWST searches robustly confirms the previously suspected luminosity cutoff in the LRD LF. We suspect that LRDs, unlike quasars, must be predominantly due to near- or super-Eddington accretion onto low-mass black holes in order to produce such an LF cutoff at fainter luminosity than quasars do. Finding even brighter LRDs than our current search may further constrain the shape of the LRD LF as well as more easily detecting the weak 200–300 K dust emission (if any). However, the area required for such a search may only be

possible when combining data from NIR missions such as Nancy Grace Roman Space Telescope, Euclid, SPHEREx, and the Spitzer archive with ground-based optical surveys such as LSST.

Acknowledgments

Y.M. thanks Hanpu Liu and Minghao Guo for useful discussion. Y.M. is also grateful for the suggestions from Xiaowei Ou and Jiaxuan Li on figure improvement. M.A. acknowledges support by the National Aeronautics and Space Administration (NASA) through an award (RSA 1628138) issued by JPL/Caltech. D.M., L.R., and A.S. acknowledge support by NASA under award No. 80NSSC21K0630, issued through the Astrophysics Data Analysis Program (ADAP).

The Hyper Suprime-Cam (HSC) collaboration includes the astronomical communities of Japan, Taiwan, and Princeton University. The HSC instrumentation and software were developed by the National Astronomical Observatory of Japan (NAOJ), the Kavli Institute for the Physics and Mathematics of the Universe (Kavli IPMU), the University of Tokyo, the High Energy Accelerator Research Organization (KEK), the Academia Sinica Institute for Astronomy and Astrophysics in Taiwan (ASIAA), and Princeton University. Funding was contributed by the FIRST program from the Japanese Cabinet Office, the Ministry of Education, Culture, Sports, Science and Technology (MEXT), the Japan Society for the Promotion of Science (JSPS), Japan Science and Technology Agency (JST), the Toray Science Foundation, NAOJ, Kavli IPMU, KEK, ASIAA, and Princeton University.

This Letter is based in part on data collected at the Subaru Telescope and retrieved from the HSC data archive system, which is operated by Subaru Telescope and Astronomy Data Center (ADC) at NAOJ. Data analysis was in part carried out with the cooperation of Center for Computational Astrophysics (CfCA) at NAOJ. We are honored and grateful for the opportunity of observing the Universe from Maunakea, which has the cultural, historical, and natural significance in Hawai‘i.

This Letter makes use of software developed for Vera C. Rubin Observatory (M. Juric et al. 2017; J. Bosch et al. 2019; Ž. Ivezić et al. 2019). We thank the Rubin Observatory for making their code available as free software at <http://pipelines.lsst.io/>.

This Letter also partially makes use of the CLAUDS data (M. Sawicki et al. 2019), whose data products can be accessed from <https://www.clauds.net>.

Appendix A Detailed Breakdown of the Ground-based Little Red Dot Selection

In this appendix, we provide a detailed breakdown of the number of objects satisfying the selection criteria outlined in Section 3.1. The original *u*-to-IRAC catalog includes a total of 20,485,012 sources. We now apply the quality cuts and LRD selection criteria in sequential order:

- (0) after applying the quality cuts, 10,503,279 sources remain;
- (1) after applying the SNR cuts, 1,913,487 sources remain;
- (2) after applying the *g*-band dropout cut, 20,668 sources remain;
- (3) after applying the *K*/*K_s*-band magnitude cut, 15,664 sources remain;
- (4) after applying the *i* − *y* cut, 1782 sources remain;
- (5) after applying the *K* − [3.6] cut, 41 sources remain;
- (6) after applying the extendedness = 0 cut, two sources remain; and
- (7) after visual inspection of HST and JWST imaging data for compactness in higher spatial resolution, only one single source—ECOSMOS-LumLRD-z5—remains.

Appendix B Photometric Redshift Estimation of ECOSMOS-LumLRD-z5

For the photo-*z* estimation, following Y. Ma et al. (2026), we add the best-fit models of UNCOVER-45924 (I. Labbe et al. 2024) and RUBIES-BLAGN-1 (B. Wang et al. 2025) into the `tweak_fspqsf_12_v3` template suite to include the high-equivalent-width H α emission line and the red optical colors not characterized by the default suite. We use a flat redshift prior between $z = 0$ and 8 and yield $z_{\text{phot}} = 4.65^{+0.18}_{-0.04}$. The posterior distribution of the redshift is already shown in the inset of Figure 2 and falls almost all within the redshift range that we are interested in.

We also show the best-fit EAZY model and its subcomponents in Figure B1. It is worth noting that in the best-fit EAZY model shown in Figure B1, the spectrum of UNCOVER-45924 is the most dominant template for its H α emission line and its redness. Although interpreting the physicality of EAZY models should be done with extreme caution, this feature likely alludes to the fact that the true SED shape of ECOSMOS-LumLRD-z5 is rather similar to that of spectroscopically confirmed LRDs.

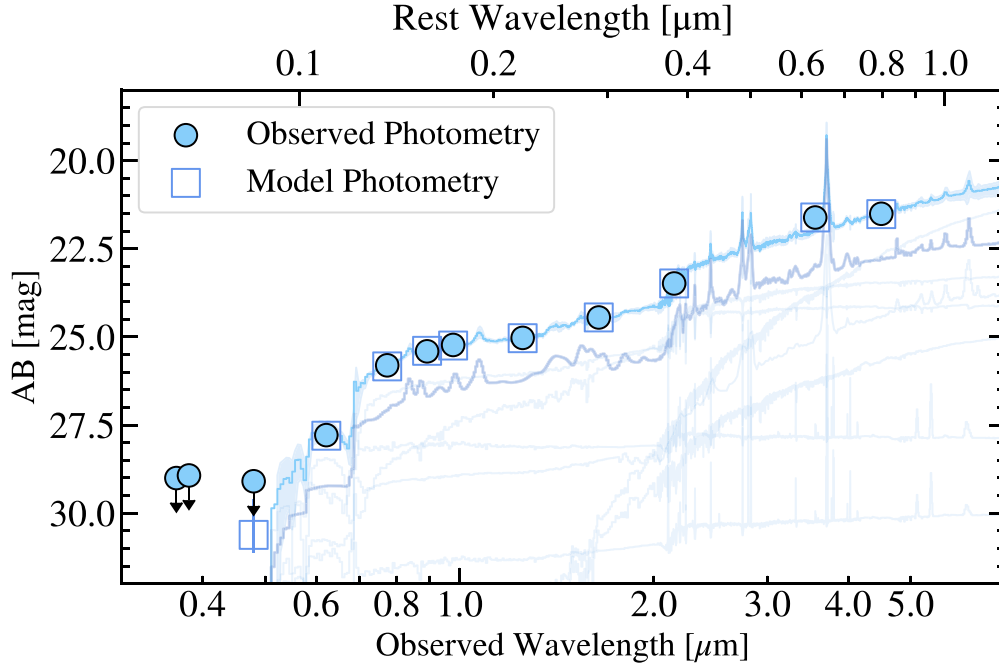


Figure B1. The observed and model photometry of ECOSMOS-LumLRD-z5 (circles and squares, respectively) is shown on top of the best-fit EAZY model (light blue curve with shades). The subcomponents of the best-fit model are shown with smaller line widths. Among all subcomponents, UNCOVER-45924, a JWST-selected LRD, is the most dominant component of all and is shown with thicker line width.

Appendix C

Compact Morphology of ECOSMOS-LumLRD-z5

ECOSMOS-LumLRD-z5 is within the COSMOS footprints (A. M. Koekemoer et al. 2007; N. Scoville et al. 2007) and has ACS/WFC F814W imaging available from the HST—this filter roughly traces the rest-frame 1490 Å emission. We show the image cutout in Figure C1. We use `pysersic` (I. Pasha & T. B. Miller 2023) to characterize the morphology of the source. The pixel scale of the cutout is $0''.05 \text{ pixel}^{-1}$, and the point-spread function (PSF) is measured to be $0''.10$ in FWHM near the source position. By visual inspection, ECOSMOS-

LumLRD-z5 spans roughly 3 pixels and is consistent with being PSF-dominated. We therefore only fit a point-source model to the F814W image and obtained a residual consistent with the background. As a sanity check, we also add a J. L. Sérsic (1963) profile into the model and obtain $r_e \approx 0''.025$, which is fully within the pixel scale and the PSF. Therefore, we conclude that ECOSMOS-LumLRD-z5 is indeed a compact source with a conservative size upper limit of $r_e < 310 \text{ pc}$ set by the PSF FWHM—this size is very similar to the LRDs selected with JWST (V. Kokorev et al. 2024; H. B. Akins et al. 2025; C.-H. Chen et al. 2025b). Both models and their corresponding residuals are also shown in Figure C1.



Figure C1. The HST/ACS/WFC F814W image cutout of ECOSMOS-LumLRD-z5, the PSF and the PSF + Sérsic composite models, as well as their residuals are shown. The cutout and the corresponding point spreading function used in this work are available at <https://grizli-cutout.herokuapp.com/>.

Appendix D

Maximum-likelihood Estimation Method to Find Best-fit Parameters of the Luminosity Functions

We follow the standard unbinned LF estimates (e.g., X. Fan et al. 2001; G. Kulkarni et al. 2019) to infer the shape of the LFs. We assume the probability of observing n_i LRDs within some luminosity bin M_i to follow a Poisson distribution:

$$\mathcal{L} \equiv p(M_i|\theta) = \prod_i \frac{e^{-\mu_i} \mu_i^{n_i}}{n_i!}, \quad (\text{D1})$$

where

$$\mu_i = \int_{M_i}^{M_{i+1}} dM \Phi(M) \cdot V(M) \cdot C_{\text{sel}}(M) \quad (\text{D2})$$

is the expected number of LRDs to be found within the luminosity bin, given a parameterized LF $\Phi(M|\theta)$, a selection completeness C_{sel} , and an effective volume V_{eff} . In the limit where the luminosity bin becomes infinitesimal, we can write the log likelihood to be

$$\ln \mathcal{L} \sim \sum_i^{N_{\text{LRD}}} \ln \Phi(M_i) - C_{\text{sel},\text{JW}} V_{\text{c},\text{JW}} \int_{-25.5}^{-20.5} dM \Phi(M) - C_{\text{sel},\text{HSC}} V_{\text{c},\text{HSC}} \int_{-25.5}^{-23.5} dM \Phi(M). \quad (\text{D3})$$

The completeness of our wide-area HSC search is taken to be $C_{\text{sel},\text{HSC}} = 0.6$ as we discuss in Section 3.3. We take the completeness of the pencil-beam JWST search by V. Kokorev et al. (2024) to be a constant value of $C_{\text{sel},\text{JW}} = 0.5$ (see R. E. Hviding et al. 2025, for a more extensive discussion on completeness of the LRD selection with JWST). Given the survey depth and at the luminosity of the sources that we include in the MLE fitting, we can simply take the effective volumes to be the respective comoving volumes between $z=4.5$ and 4.9 within the each survey footprint (see Section 4.2). We then maximize Equation (D3) by running the Markov Chain Monte Carlo (MCMC) with `emcee` (D. Foreman-Mackey et al. 2013), assuming a flat prior on all the parameters.

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